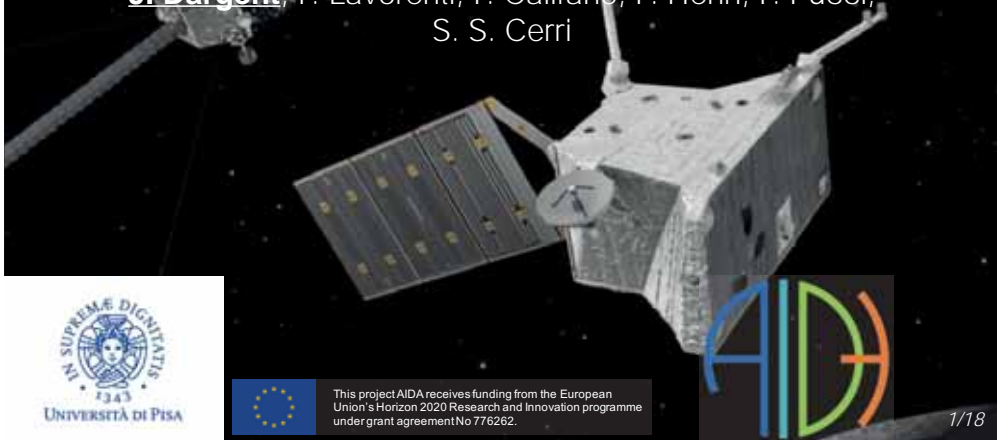



Interplay between Kelvin-Helmholtz and Lower Hybrid Drift instabilities

J. Dargent, F. Lavorenti, F. Califano, P. Henri, F. Pucci, S. S. Cerri



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Interplay between Kelvin-Helmholtz and Lower Hybrid Drift instabilities

Instabilities along a current sheet:

- Velocity shear → Kelvin-Helmholtz
- Density gradient → Lower-Hybrid drift instability

Interplay between Kelvin-Helmholtz and Lower Hybrid Drift instabilities

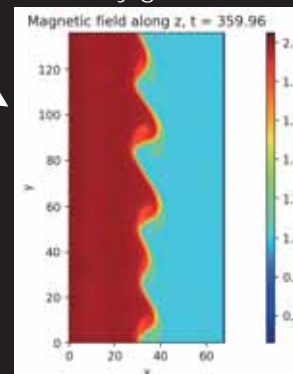
Instabilities along a current sheet:

- Velocity shear → Kelvin-Helmholtz → fluid scales
- Density gradient → Lower-Hybrid drift instability → kinetic scales

Interplay between Kelvin-Helmholtz and Lower Hybrid Drift instabilities

Instabilities along a current sheet:

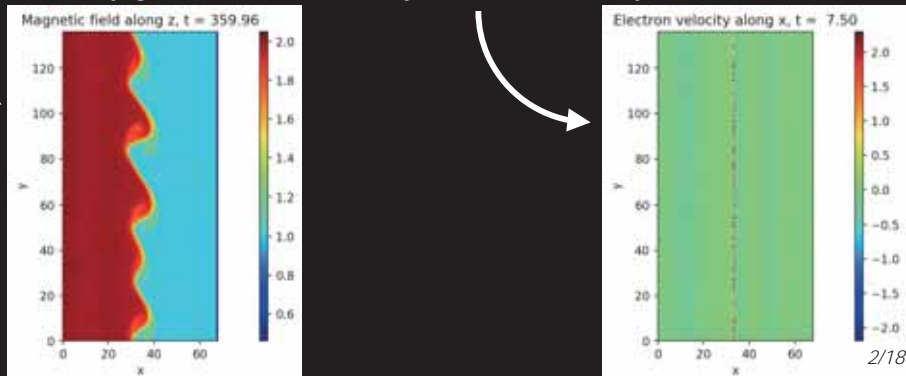
- Velocity shear → Kelvin-Helmholtz → fluid scales
- Density gradient → Lower-Hybrid drift instability → kinetic scales



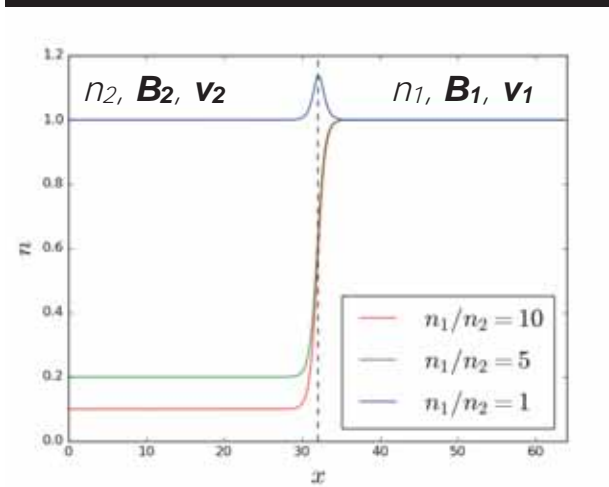
Interplay between Kelvin-Helmholtz and Lower Hybrid Drift instabilities

Instabilities along a current sheet:

- Velocity shear → Kelvin-Helmholtz → fluid scales
- Density gradient → Lower-Hybrid drift instability → kinetic scales



Simulations: initial setup



- full PIC simulations
- 4 simulations:
 - 3 different density profiles
 - + 1 simulation without velocity shear ($n_1/n_2=10$)

$m_i/m_e = 25$

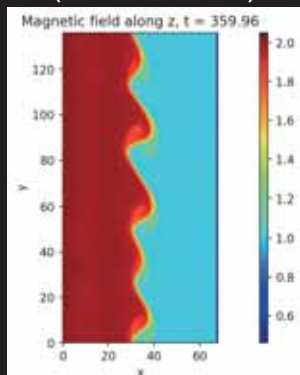
$B_1/B_2 = 0.5$

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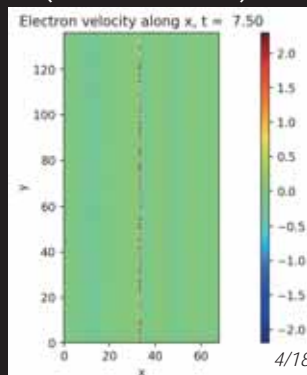
Simulations: initial setup

KHI = Kelvin-Helmholtz instability
LHDI = Lower-Hybrid Drift instability

1 **pure KHI** simulation (simulation 4)

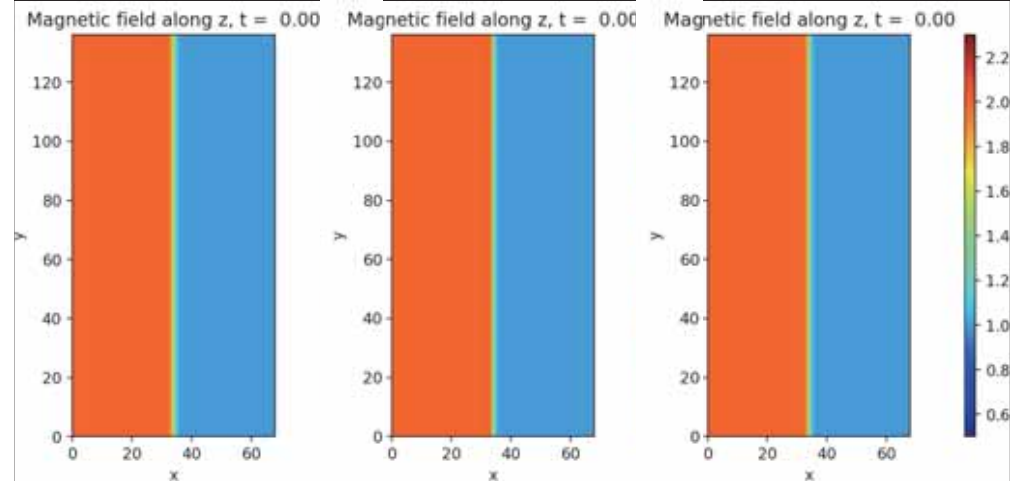


1 **pure LHDI** simulation (simulation 1)



2 **hybrid KHI + LHDI** simulations (simulations 2 and 3)

Overview of simulations



Simulation 2
 $n_1/n_2=10$

Simulation 3
 $n_1/n_2=5$

Simulation 4
 $n_1/n_2=1$

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Evolution of the simulation

- The simulations are characterized by **3 main phases**:

6/18

Evolution of the simulation

- The simulations are characterized by **3 main phases**:

1. The **linear phase of LHDI**

6/18

Evolution of the simulation

- The simulations are characterized by **3 main phases**:

1. The **linear phase of LHDI**

2. The **nonlinear phase of LHDI**

6/18

Evolution of the simulation

- The simulations are characterized by **3 main phases**:

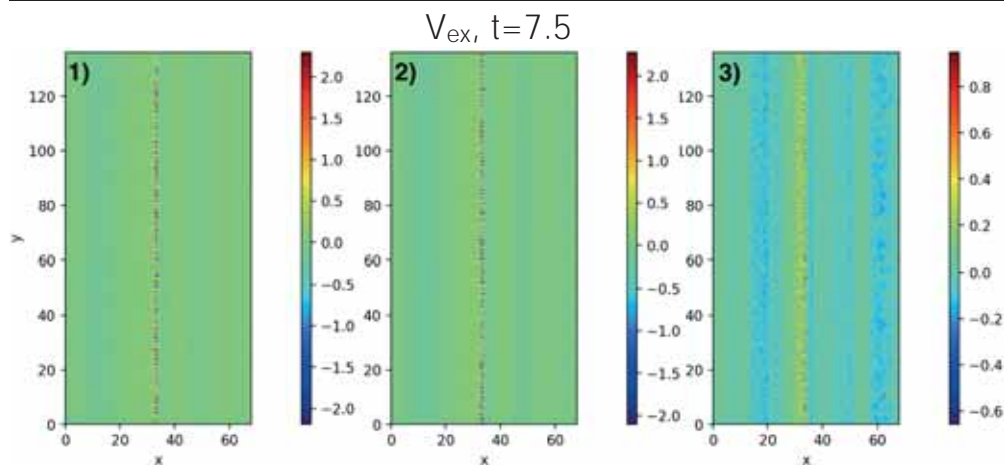
1. The **linear phase of LHDI**

2. The **nonlinear phase of LHDI**

3. The **linear phase of KHI**

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The linear phase of LHDI



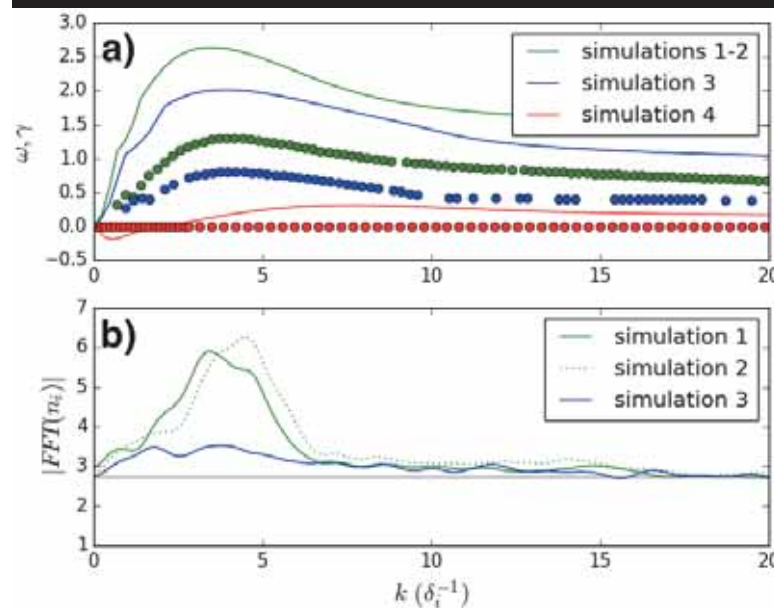
Simulation 1
 $n_1/n_2=10$

Simulation 2
 $n_1/n_2=10$

Simulation 3
 $n_1/n_2=5$

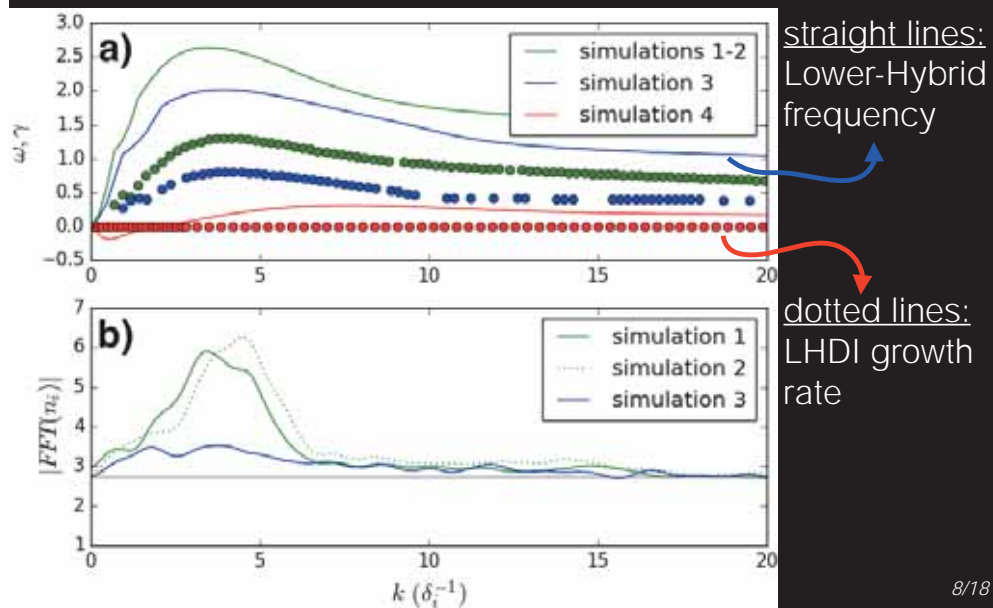
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The linear phase of LHDI



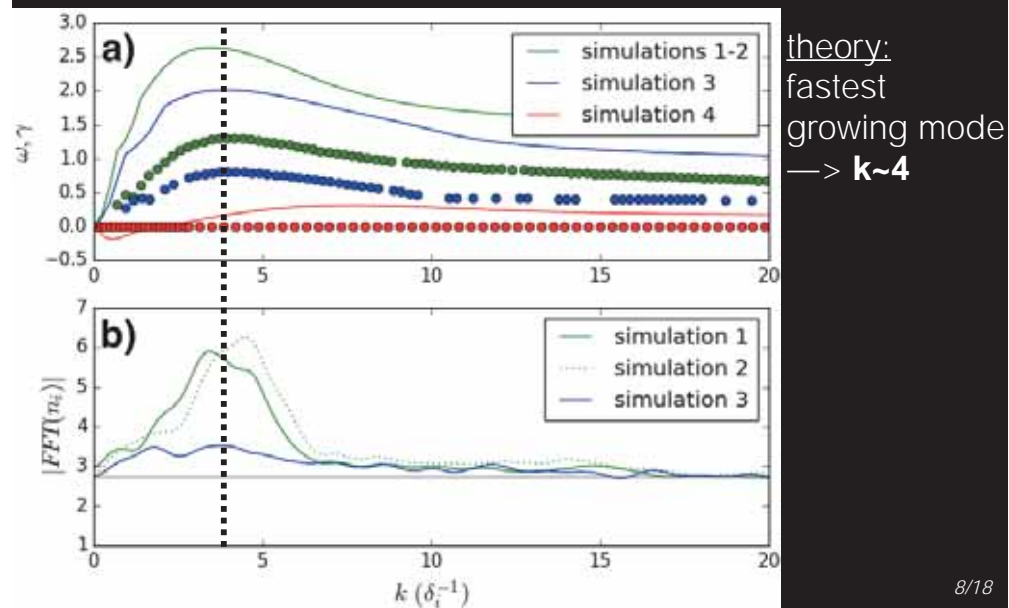
8/18

The linear phase of LHDI



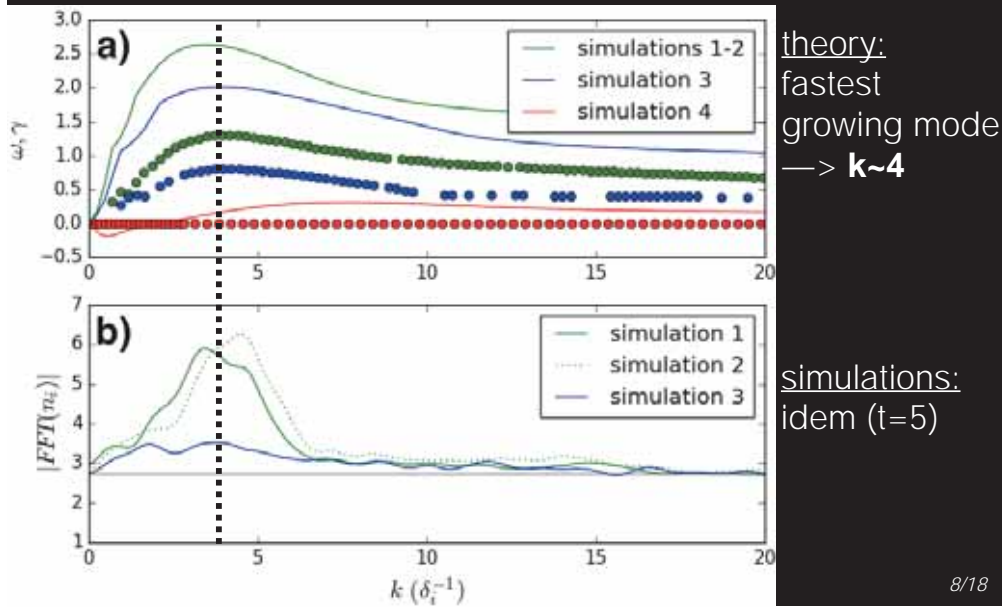
8/18

The linear phase of LHDI

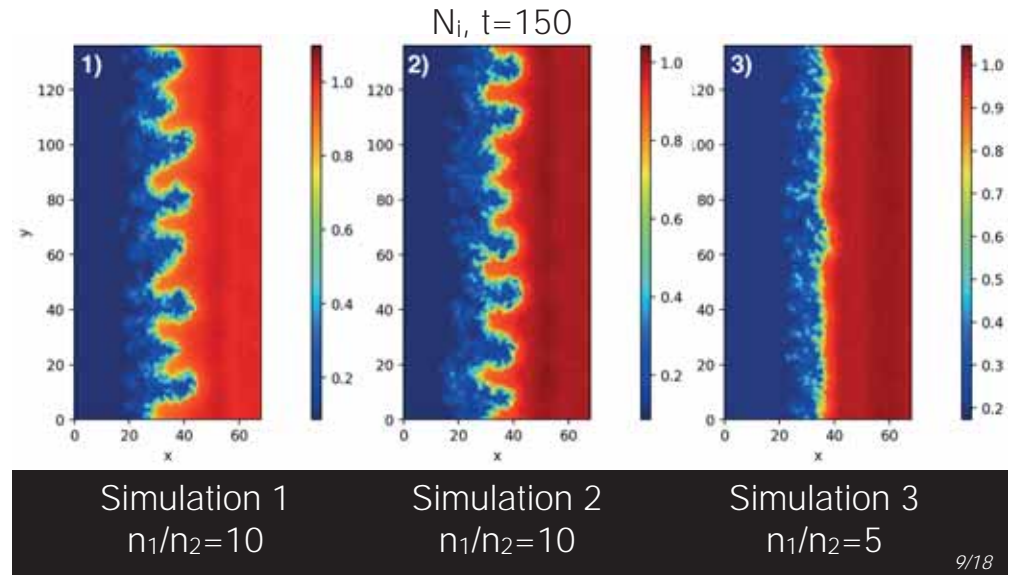


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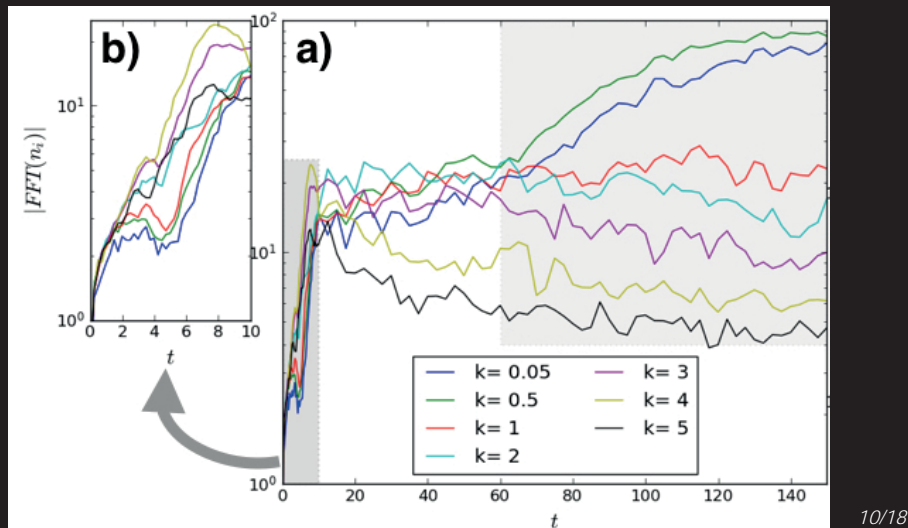
The linear phase of LHDI



The nonlinear phase of LHDI

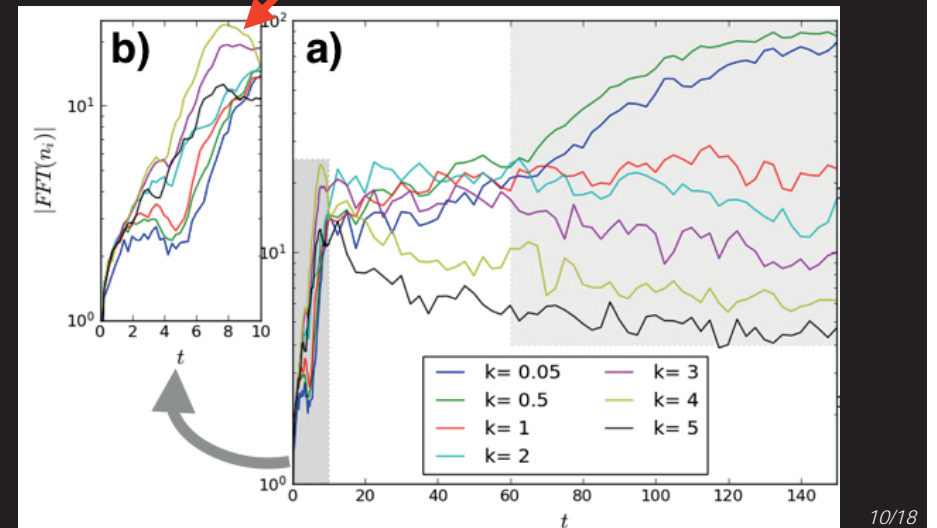


The nonlinear phase of LHDI



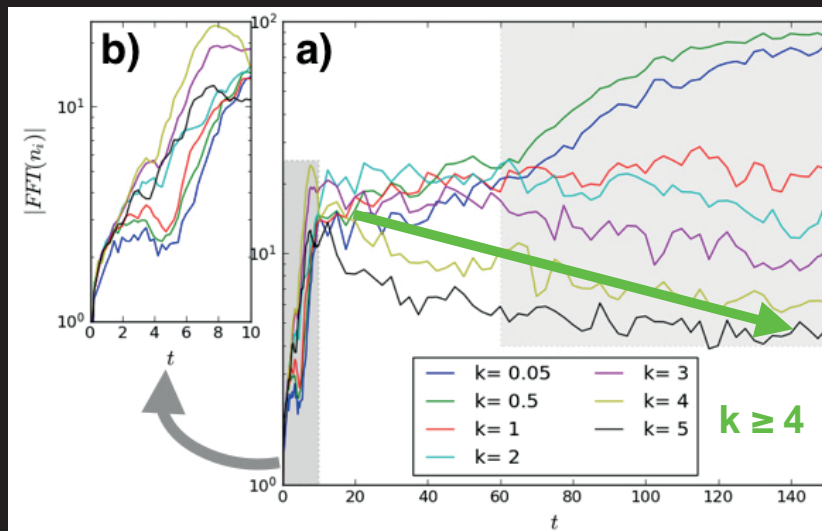
The nonlinear phase of LHDI

linear LHDI → fastest growing mode $k \sim 4$



The nonlinear phase of LHDI

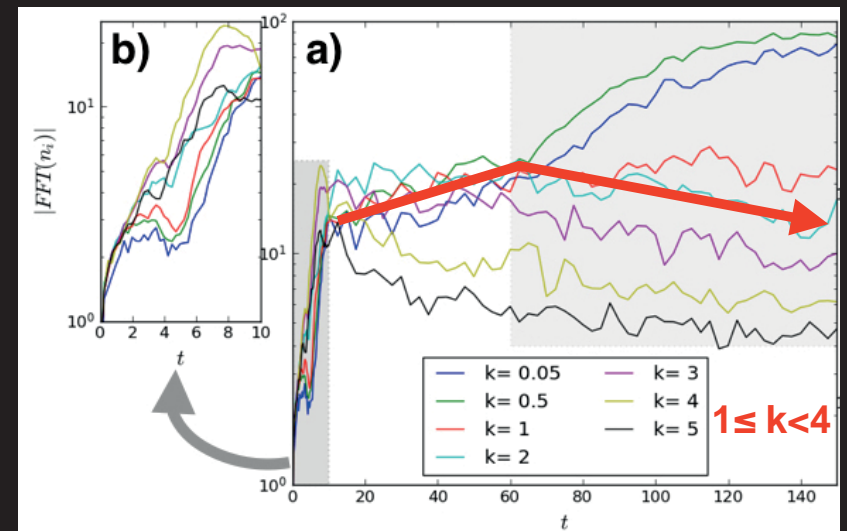
nonlinear LHDI \rightarrow inverse cascade towards $k < 1$



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The nonlinear phase of LHDI

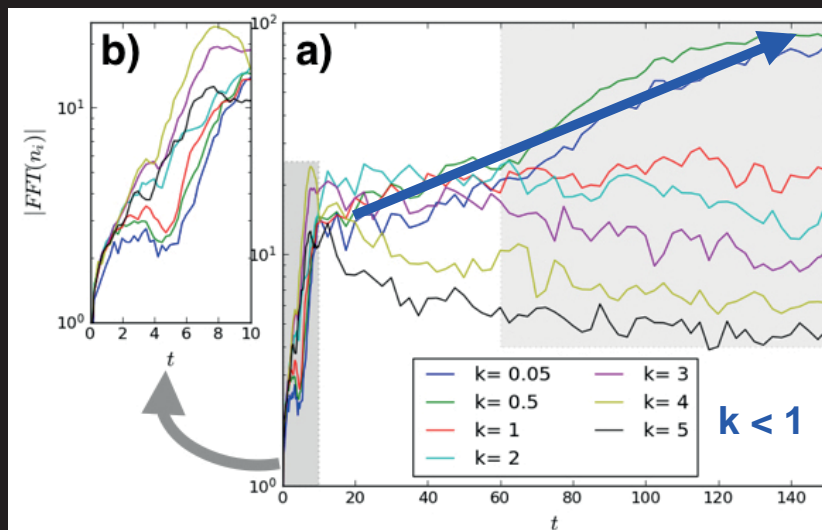
nonlinear LHDI \rightarrow inverse cascade towards $k < 1$



10/18

The nonlinear phase of LHDI

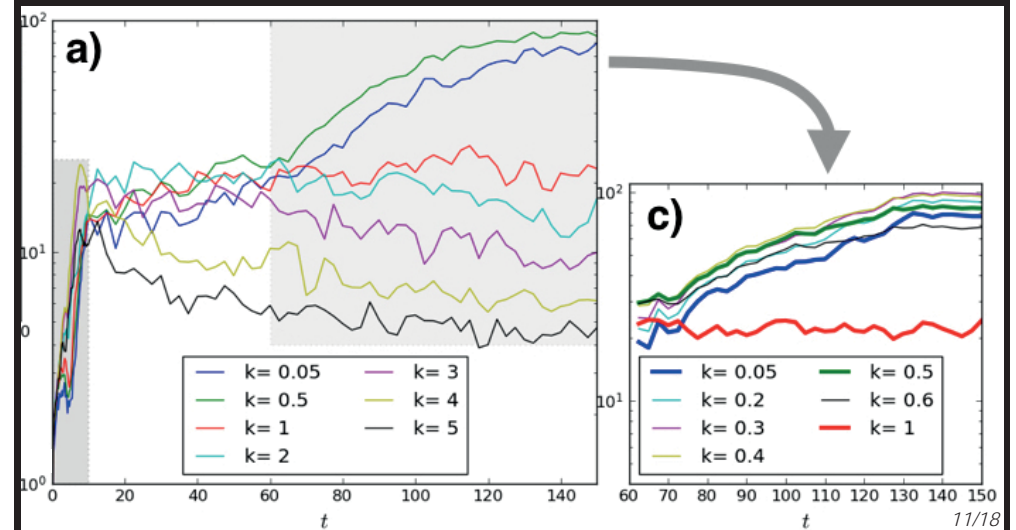
nonlinear LHDI \rightarrow inverse cascade towards $k < 1$



10/18

The nonlinear phase of LHDI

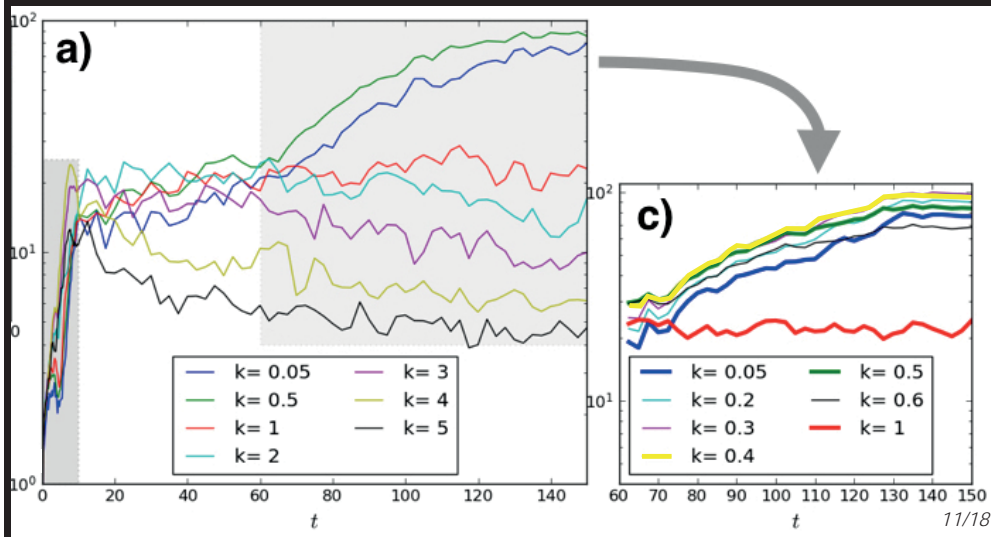
nonlinear LHDI \rightarrow inverse cascade towards $k < 1$



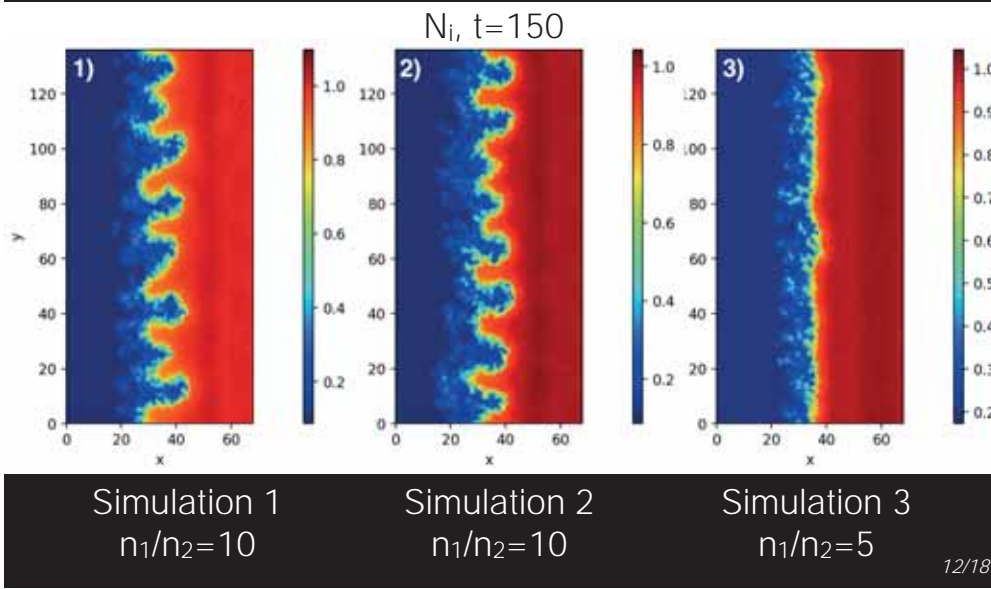
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The nonlinear phase of LHDI

nonlinear LHDI \rightarrow inverse cascade towards $k \ll 1$

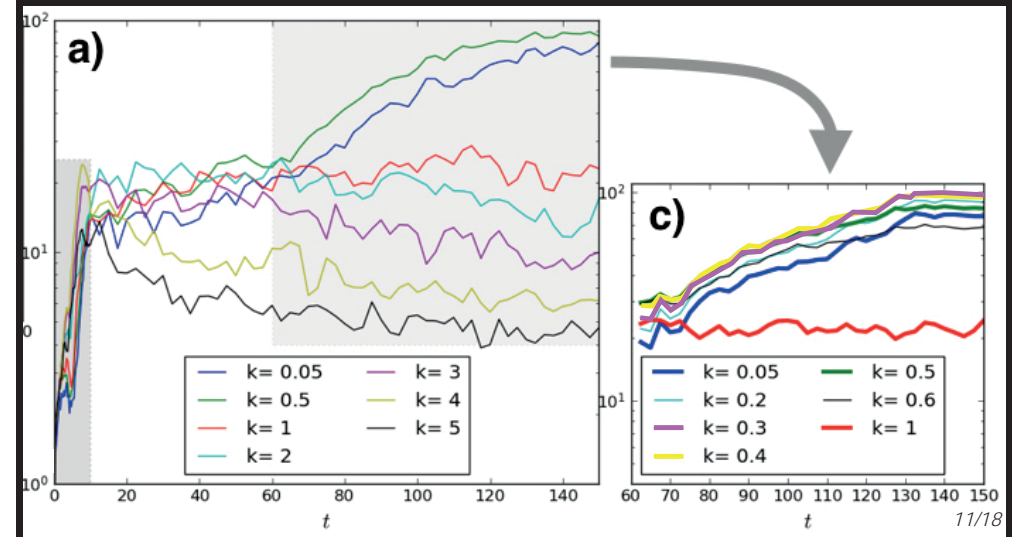


The nonlinear phase of LHDI

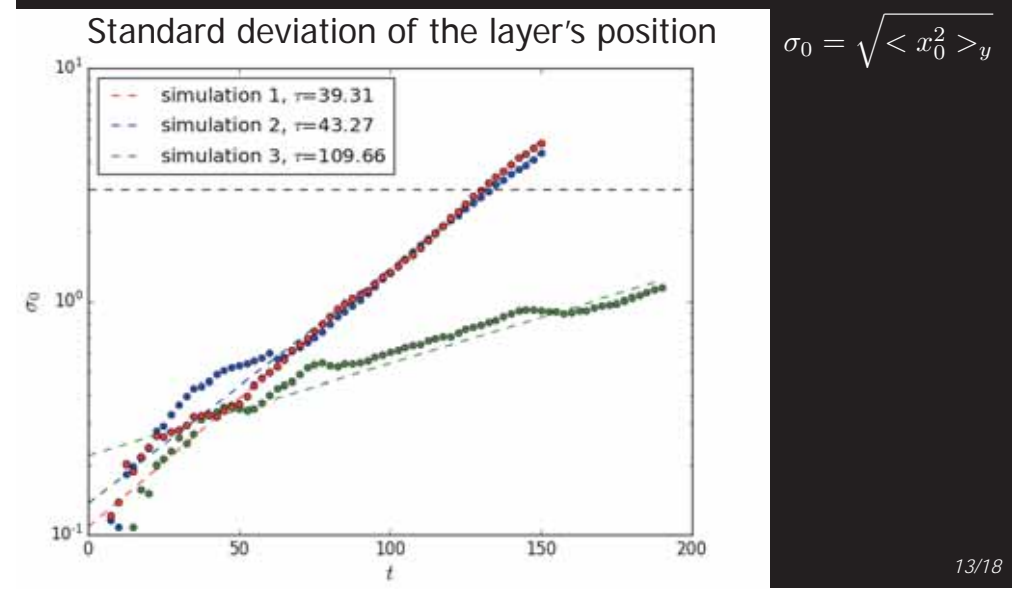


The nonlinear phase of LHDI

nonlinear LHDI \rightarrow inverse cascade towards $k \ll 1$



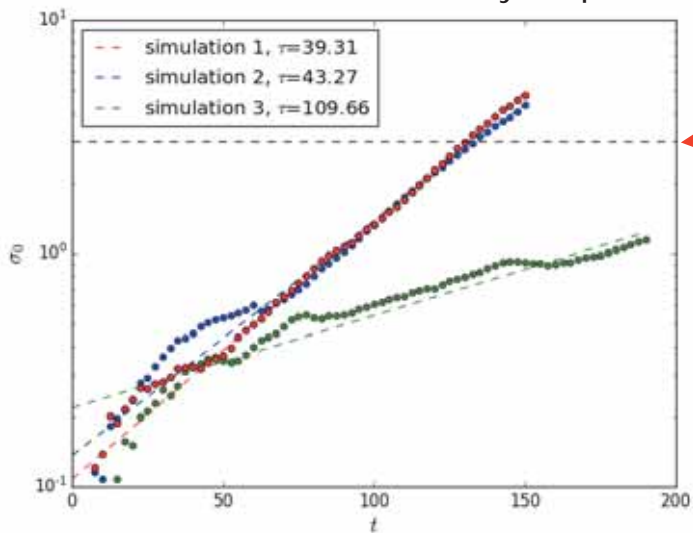
The nonlinear phase of LHDI



The nonlinear phase of LHDI

Standard deviation of the layer's position

$$\sigma_0 = \sqrt{\langle x_0^2 \rangle_y}$$



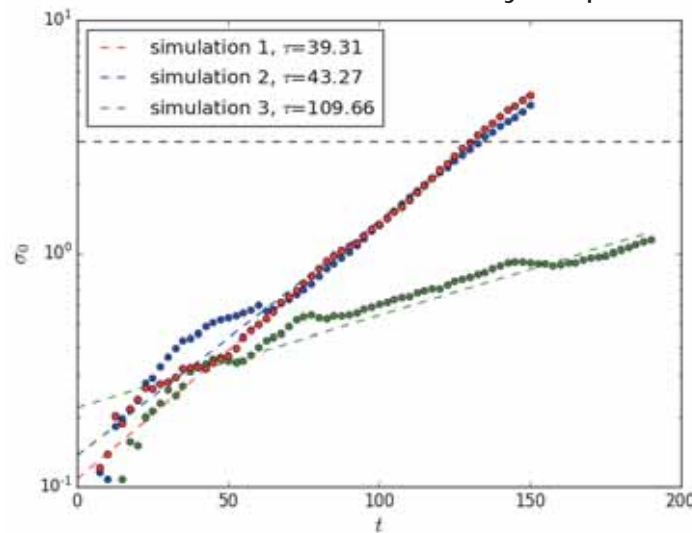
Typical size of KH vortices

13/18

The nonlinear phase of LHDI

Standard deviation of the layer's position

$$\sigma_0 = \sqrt{\langle x_0^2 \rangle_y}$$



Exponential fit:

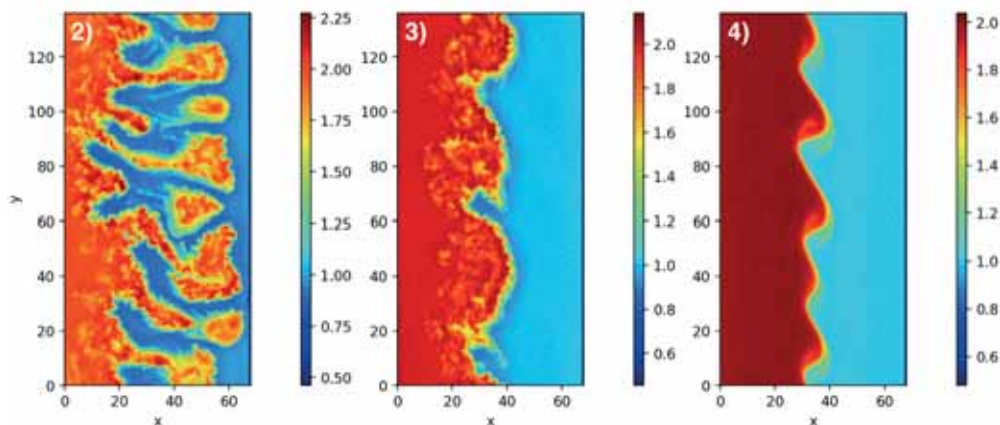
$$Ae^{t/\tau_{NL}}$$

We obtain a characteristic time τ_{NL}

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The linear phase of KHI

$B_z, t=350$



Simulation 2
 $n_1/n_2=10$

Simulation 3
 $n_1/n_2=5$

Simulation 4
 $n_1/n_2=1$

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The linear phase of KHI

- Theoretically, we have:
 - Hyperbolic tangent for the velocity profile [Michalke 1964]:
 - Inhomogeneous density [Chandrasekhar 1961]:

$$\gamma_{KH} = 0.095 \Delta u / L$$

$$\gamma_{KH} \propto \frac{\sqrt{n_1/n_2}}{1 + n_1/n_2}$$

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The linear phase of KHI

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Simulation	2	3	4
$\tau_{KH} = 1/\gamma_{KH}$	77	57	42

15/18

The linear phase of KHI

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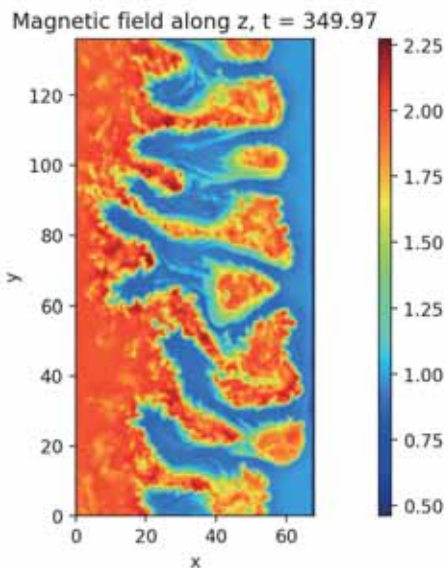
Simulation	2	3	4
$\tau_{KH} = 1/\gamma_{KH}$	77	57	42

Comparison with the exponential fit method for simulation 4

$\tau_{KH} = 49$

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The linear phase of KHI



- Case 1: Simulation 2

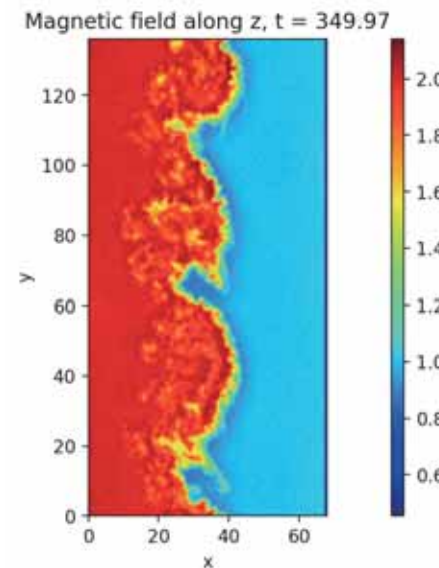
τ_{KH}	τ_{NL}
77	43

$$\tau_{KH} > \tau_{NL}$$

The nonlinear LHDl dominates
The KHI is unable to develop

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The linear phase of KHI



- Case 2: Simulation 3

τ_{KH}	τ_{NL}
57	110

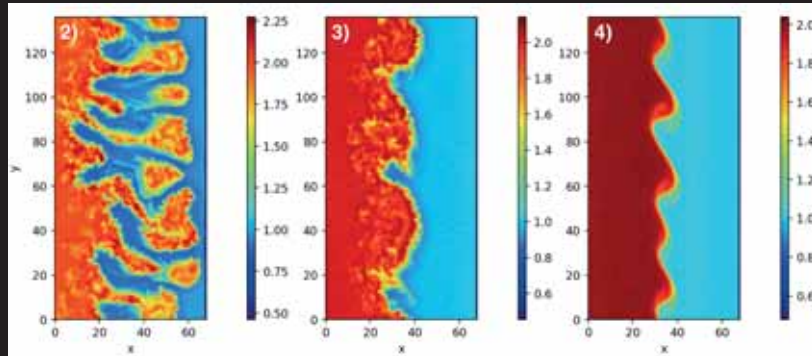
$$\tau_{KH} < \tau_{NL}$$

The KHI dominates

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Conclusion

Depending on the **density asymmetry**, the **layer width** and the **velocity shear**:



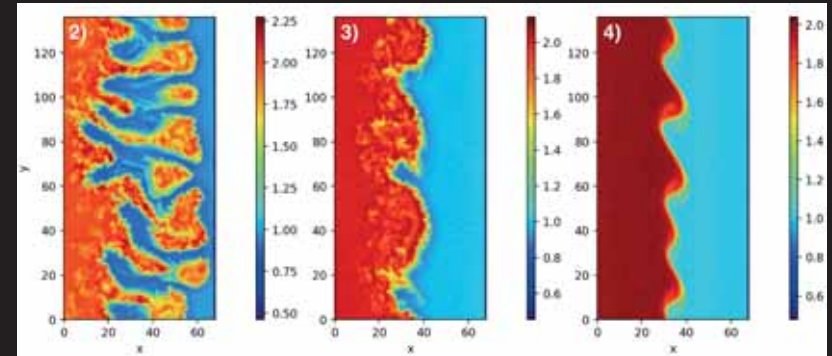
LHDI dominates

KHI dominates

18/18

Conclusion

Depending on the **density asymmetry**, the **layer width** and the **velocity shear**:



Mercury-like magnetopause

LHDI dominates

KHI dominates

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